## INTRODUCTION

I am R. Narayanan [Narayanan Raghunathan] from Kerala, India. I will come to the crux of this book without meandering into the peripheral details. These are a collection of four papers on the Foundations of the Axiomatic Set Theory of Infinite Sets. They question the whole Cantorian ignorant edifice magnified by Hilbert's and others' ignorances $\sim$ The Zermelo-Fraenkel $\sim$ Gödel-Bernays Axiomatic Systems are based on morbid Eternally False Axioms.
There Exists No Uncountable Infinite Sets. So the Axiom of Infinity [equivalently that there exists a limit ordinal] Is A Lie. There Exists No Largest Natural Number. There Exists No Limit Ordinal.

The Axiom of Powers Is also a Lie. The Power Set of Every Infinite Countable Set Is Countable.
The whole Bourbaki episode of twentieth century Mathematics is mostly an array of satanic Lies.
The four papers are
1] On the Cardinality of The Infinite Continuum, There Exists One and Only One Infinite. All Irrationals, Reals are Countable.
2] The Power Set of Every Countable Infinite Set Is Countable.
3] All Irrationals and [hence All Reals] are Countable-2
4] The Power Set of Every Countable Infinite Set
Is Countable-2
The first two were written around 1993-1994. The other two in 1995.
I had sent the first two papers and later the other two papers to various journals all around the world. The List of letters I sent, and the addresses to which I sent them, are included in this book. These correspondences took place
in 1995 and early 1996. On the whole it was a painful experience.

Most did not respond. Others who responded were shoddy and jealous and crooked. Some of these responses are photocopied in this book.

I approached various local friends and acquaintances.
But accepting the Truth in these papers would have made their M.Sc.'s and Ph.d's Invalidated. Obviously they did not want that to happen!

In short, these papers must be in the possession of various people on the earth.

I was deeply disillusioned.
I wrote a complete analysis of Set theory, taking Cohen's
"Set Theory and Continuum Hypothesis" and thoroughly questioning the Foundations of Zeremelo-Frankel and GodelBernays Axiomatic Schemes. This work completed around 1995, will be published soon. I was writing an Appendix on "Irrational Numbers" for this book $\sim$ As I pursued this, God revealed to me Innumerable Rhythms and Transcendental Numbers. This work took place between 1995-1999. I collected these formulas for formulas in the book "The Infinite Algorithms for Infinite Transcendental Numbers".

This was sent to various places [Including the Annals and LMS]. The details of that episode is being published in another book. After a tremendous struggle for four years, the kindness of Prof. Thrivikraman gave me a chance to present the synopsis of my 47 papers [actually chapters] during the National Seminar on Graph Theory and Fuzzy Mathematics held at Catholicate College, Pathanamthitta, Kerala, India. These are published in the proceedings of the National Seminar on Graph Theory and Fuzzy Mathematics [August 28-30, 2003].

Fraudulent/ignorant mathematicians of the Cantor obsession talk about Uncountable Infinite Set of Reals, without knowing what the elements of The Set of All Reals Are. Here in this seamless Library of Babel "The Infinite Algorithms for Infinite Transcendental Numbers". All The Transcendentals [and hence All Reals] are listed algorithmically.

Curiously, in the first paper presented here in this book we also have the single formula which defines the set of all decimal expansions including the set of All Transcendentals.

I thank my sister Prema for her meticulous proof-reading. I am grateful to my brother Anand, Arun, Shyam, Adrian and Prof. Nadkarni USA, for their special encouragement.

## General Comments

If a number has an identity, if it is identifiable [say as a decimal expansion/a power series/ a fraction/ a continued fraction], It is clearly Countable. Hence All Numbers Are Countable.
There Exists No Limit Ordinal.
This clearly clarifies why the Axiom Of Infinity of ZermeloFraenkel Gödel-Bernays Axiomatic Formal Set Theory is an Ugly Lie.

There Exists No Uncountable Infinite Set.
Let's note that "Uncountable Infinite Set" has a definition, "that which is not Countable Infinite Set".
It has no positive definition.
This is absurd and foolish and fraudulent.
All Sets Are Countable.
[Including The Set of All Reals Including the Infinite Transcendentals]
The Set Of All Transcendental Numbers Are getting Published in two Infinite Volumed Books.
[Actually Seamless Libraries Of Babel.]
"Infinite Algorithms For Infinite Transcendental Numbers" (This book has been seen by many) and "Infinite Rhythmic Continued Fractions".
The Power Set Of Every Infinite Set Is Countable.
The Continuum Hypothesis is a fraudulent Equality. $\left(\aleph_{0}=2^{\aleph_{0}}\right)$ Aleph Nought=Two raised to Aleph Nought, since the power set of An infinite set is clearly countable. There Exists One and Only Infinite which can always be counted.

The Whole Axiomatic Infinite Set Theory Is Telling grandiloquent Lies in the Name of Mathematics. It is strange it survived so long. It will soon be exterminated. The final end of fraudulent Infinities in Mathematics.

About roughly $80 \%$ of twentieth century Mathematics is horrible Cheating and evil lying [i.e. excluding the tentative lying of statistics including stochastic processes]

All Portions of Bourbaki dealing with uncountability must be destroyed or kept as tokens of ignorance in libraries, in a special section of the history of Mathematics. We tentatively close here.

OM SHRI MAHA GANAPATHAYE NAMA:

OM POORNAMADA: POORNAMIDAM POORNAT POORNAMUDACHYATE POORNASYA POORNAMADAYA POORNAMEVAVASHISHYATE<br>OM SHOONYAMADA: SHOONYAMIDAM SHOONYAT SHOONYAMUDACHYATE SHOONYASYA SHOONYAMADAYA SHOONYAMEVAVASHISHYATE

\author{

- ON THE CARDINALITY OF THE INFINITE CONTINUUM -
}


## THERE EXISTS ONE AND ONLY ONE INFINITE!

## ALL IRRATIONALS, REALS ARE COUNTABLE!

[ Dedicated to my parents who tolerated me doing nothing]

## Narayanan Raghunathan

Abstract:- After an initial Philosophical discussion we proceed to prove that the set of ALL IRRATIONALS and hence the set of ALL REALS is Countable. For clarification we meditate on the idea of INFINITE SPACE and more essentially on INFINITE TIME. Without these invocations the Mathematical INFINITE is an absurd idea. A General Summation Formula for the set of ALL IRRATIONALS is stated, once again proving that the set of ALL IRRATIONALS and hence the set of ALL REALS is Countable; further the idea of uncountable INFINITE sets "more INFINITE than" countable INFINITE sets is a False idea. We conclude with a Philosophical-Metaphysical
discussion stating once and for ALL, FOR EVER that the Zermelo-Fraenkel, Gödel-Bernays and other such ambitious Axiomatic Schemes which assume the "Axiom of Infinity", the "Axiom of Replacement" and the "Axiom of the Power Set" are exercises in Eternal Futility.

## Acknowledgements

I thank my friends Surendran, Krishnan, Rameshan, and Ranganath for their kind encouragement. I am deeply indebted to Anil Kumar who helped me with the preparation and editing of this manuscript. I also thank Cliffy who assembled my computer and Chandran, Stanley and others who have made the prints possible. I have used "Chi-Writer" to conjure up all this.
Finally I must confess my eternal gratitude to my innumerable friends and teachers.
$\infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty$

Note:
The mis-spellings "Allways", "Allmost", "Truthfull" etc. are intended for the stress and pun. The "-" in "Recognize" is to stress the etymological and philosophical implications.

## A PARABLE

This one is a parable on the "INFINITE" in Mathematics. Three mathematicians who were very proud of their Knowledge of the "INFINITE" in Mathematics passed out of this earthy-abode and reached the abode of GOD, THE VERY INFINITE ITSELF. They were instantly granted IMMORTALITY. Since they carried the burden of the earthy-ego even into that land of the INFINITE, they were asked to perform a Cosmic Deed, in order that they may determine for themselves who among them was the greatest in the Knowledge of the "INFINITE" in Mathematics.
Mathematician1 [M1], was asked to write the LARGEST NATURAL NUMBER. Mathematician2 [M2], was asked to write the SMALLEST POSITIVE RATIONAL NUMBER. Mathematician3 [M3], was asked to write the SMALLEST POSITIVE IRRATIONAL NUMBER. NEVER ENDING sheets of paper arrived from thin air and NEVER END$I N G$ oceans of ink and quality pens too. Free from hunger, free from every other desire, M1, M2, and M3, began their ETERNAL-DEED simultaneously FOR EVER FOR EVER !!
M1 being a binary-man simply started and went on thus.
111111111111111111111111111111111111111111111111
M2 and M3 put the sacred decimal dot and went on with their zeroes.
. 000000000000000000000000000000000000000000000000
Some aeons later M2 and M3 changed their notation for zero and simply dotted on thus
M1 followed similarly and simply said, "Each dot represents billion raised to billion for billions of years in my notation" and went on with his dots.
M2 and M3 said, "If that is so, each of our dot is as many zeroes as your fat number in our notation."
Billions of BIG-BANG-LIGHT-YEAR-volumes of papers
were dotted by M1, M2, and M3 and myriad oceans of ink were used. Milleniums passed on, without much humour.
Suddenly one day, all of them realized, re-cognized together that GOD had played the fool on them. They recognized that they were exactly where they had BEGUN, at THE VERY BEGINNING.
Then GOD appeared again before them and asked rather innocently, "Have you decided as to who among you is the greatest in the KNOWLEDGE of the mathematical INFINITE. I am also rather eager to know the result of the cosmic-competition."
"THE INFINITE ALLWAYS BEGINS !!! THE INFINITE NEVER EVER ENDS !!! THE INFINITE NEVER EVER CAN END !!! If you say you know the "INFINITE", you don't know IT !!!", the three great mathematicians confidently incanted in one voice.
"So let us BEGIN AS EVER AND TEND OUR ETERNAL GARDEN." THE GOD SAID. Then they became like little children and joined their GOD TO TEND THEIR ETERNAL GARDEN that GOD had ALLREADY PREPARED for them.

## PROLOGUE

Irrational Numbers and Real Numbers are Countable or Denumerable. In more formal language, the set of all rationals and irrationals is Countable. This essentially proves once and for all, that ALL SETS ARE COUNTABLE. ${ }^{1}$ Now when I make a grandiose statement like this one, questioning the faith and the very foundation of post-Cantorian Formal Mathematics of INFINITE sets, I must surely have found a method to prove that the set of All Real Numbers is Countable. Otherwise, I must be an amateur idiot who has got himself lost in the Labyrinth Jungle of Infinite Irrational Numbers. But I am INFINITELY sure that the set of All Rationals and Irrationals is Countable or equivalently that the set of All Real Numbers is countable. ie. This set can be very easily set into a one-one correspondence with the set of All Natural Numbers as we Decisively Definitely Prove Once And For All FOR EVER FOR EVER in the following pages.
Ever since my student days I had looked upon the concept of uncountable INFINITE sets with much suspicion. For the last few years I was insisting that there exist NO uncountable INFINITE sets, that every set is Countable to Begin with and that the activity of this counting can go on FOR EVER FOR EVER. ie. It can NEVER EVER END !![3]. My friends Surendran, Krishnan and Rameshan gave me rather patient hearings. But I wonder whether any of them was convinced with my desperate rhetoric.
But a simple Revelation Reveals and convinces far better than all rhetoric. A few days ago the whole thing came to me in a moment of Revelation. LAUS DEO! OM NAMA SHIVAYA! Although I could have written the whole thing in less than two pages, I have adopted a different method.

[^0]We begin with a diagram: The Labyrinth Diagram or The Cosmic-Labyrinth Diagram which is the essence of the whole proof. If you understand, re-cognize the diagram, the proof is obvious. Now we play an intuitive game. We follow this Labyrinth Diagram with a family of mathematical Koans which lead us more into the secret of the Labyrinth. Depending upon one's preparedness, one would re-cognize the proof after one or many of the aphoristic Koans.

> A simple elucidatory and formal proof follows this. ${ }^{2}$

I request you not to hurry, if you want to experience the delight and wonder of re-cognition. Turn the pages slowly. Best wishes for the delight of discovering an INFINITE TRUTH. HAIL INFINITY !!

OM NAMA SHIVAYA
$\infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty$

[^1]
------ $\infty \infty$ FOR EVER $\infty$

## ------ $\infty \infty$ FOR EVER $\infty$

1 Finite allways Ends. INFINITE ALLWAYS BEGINS.
2 When does the finite Become INFINITE ?
3 The Labyrinth Irrational Beginning Begins.
4 The INFINITE Labyrinth Counts itself FOR EVER FOR EVER.

5 Beginnings Merge with the Ends. HAIL INFINITY !! $\infty$
6 There Exists One and Only One INFINITE.
7 All INFINITE sets are Countable to Begin With and Uncountable to End With.
8 Ultimately You can Only Start Counting.
9 Even if You go on FOR EVER, You can Only Start Counting FOR EVER.

10 The INFINITE is Actually a COSMIC JOKE. GOD'S OWN. LAUS DEO !
11 Count the Beginnings. The Ends are ETERNALLY unreachable!
12 Ah! These Limited Beginnings Becoming LIMITLESS.
13 Endless Beginnings! Endless Ends! Seamless INFINITY!
14 Count ALL the IRRATIONALS FOR EVER FOR EVER ALL OVER ALL OVER!
15 The finites and the INFINITE GO ON FOR EVER FOR EVER!
16 Draw EVERY rational and irrational along these LABYRINTHS!
17 You can count the INFINITE rationals with a point and a line. For the INFINITE IRRATIONALS You need this LABYRINTH!

18 INFINITE ALLWAYS BEGINS. IT NEVER ENDS. IT CAN NEVER END!
19 ONE BECAME MANY! HAIL INFINITY!
20 For EVERY RATIONAL AND IRRATIONAL YOU CAN EXTRACT A UNIQUE REPRESENTATION FROM THIS LABYRINTH
21 Ah! This INFINITE Binary LABYRINTH ! BEHOLD !
22 Ah! The PRIMORDIAL INDUCTION. $1,2,3,---\infty$ FOR EVER $\infty!$ BEHOLD!

23 1,10,11,--- $\infty$ FOR EVER $\infty$ ! BEHOLD !
24 1,2,3,--- $\infty$ FOR EVER $\infty$ ! BEHOLD !
25 Binary, Decimal or $\nabla$-ary $\{\nabla=2,3,--\infty \infty$ FOR EVER $\infty\}$. This is TRUE for ALL RATIONALS AND IRRATIONALS.
26 Even if You make a $\nabla$-pronged attack $\{\nabla=2,3,--\infty \infty$ FOR EVER $\infty\}$. It is ALL the same!
27 Why didn't we start from ZERO in 23 and 24?
28 What is an IRRATIONAL NUMBER ?
29 It is a NEVER-ENDING DECIMAL EXPANSION whose terms NEVER RECUR.
30 Is there any IRRATIONAL NUMBER that is not a DECIMAL EXPANSION?
31 Clearly NO!
32 But there are NEVER-ENDING RATIONAL DECIMAL EXPANSIONS. Say $\frac{1}{3}$

33 If the LABYRINTH TERMINATES, then it is a finite RATIONAL!

34 Don't diagonalize. Spread INFINITELY INDEFINITELY FOR EVER!
35 For INFINITE NEVER-ENDING RATIONALS, the LABYRINTH grows on in rhythmic regularity
36 INFINITE IRRATIONALS GROW ALONG THESE LABYRINTHS IN RANDOM ABANDON !
37 There are irrational rhythms. But that is another story.
38


These are finite RATIONALS in our notation * indicates the closure of a Labyrinth.

39


These notate the growth of some INFINITE NEVER-ENDING RATIONALS.

40 Count THE INFINITE DECIMAL SYSTEM!


If You use the Decimal-System, this diagram indicates. BEHOLD!

42 Write any decimal number and SEE !
43 Ah! These IRRATIONAL BEGINNINGS ! BEHOLD!
44 What is the rationale behind These IRRATIONAL BEGINNINGS ?
45 ONE CREATED MANY! BEHOLD !
46 One Created Two and Two Created Many
47 Start Counting in Twos instead of Ones !
48 The Choice Function Grows on in random abandon!
49 THE INFINITE CHOICE !
50 THE INFINITE FREEDOM!
51 But Ah! The Beautiful Limitation!
52 A Choiceless Beginning !! The Choosing NEVER ENDS !!

53 You are setting the set of all RATIONALS and IRRATIONALS into a 1-1 Correspondence with the set of ALL NATURAL NUMBERS.
But now the setting itself takes up INFINITE TIME AND SPACE!

54 Where do you Begin trans-finite induction? When do you Begin trans-finite induction?
$552^{n} .\{n=1,2,3,--\infty \infty$ FOR EVER $\infty\}$ ! BEHOLD
$5610^{n} .\{n=1,2,3,--\infty \infty$ FOR EVER $\infty\}$ ! BEHOLD!
$57 \quad \nabla^{n} .\{\nabla=2,3,4,--\infty \infty$ FOR EVER $\infty\}$ !
$\{n=1,2,3,--\infty \infty$ FOR EVER $\infty\}$ ! BEHOLD !
58 What is $2^{n}$ ?
59 What is $10^{n}$ ?
60 What is $\nabla^{n}$ ?
61 If $\nabla^{n},\{\nabla=2,3,4,--\infty \infty$ FOR EVER $\infty\}$
$\{n=1,2,3,--\infty \infty$ FOR EVER $\infty\}$, is countable, then the set of All Real Numbers is Countable.
62 If $\Sigma \nabla^{n},\{\nabla=2,3,4,--\infty \infty$ FOR EVER $\infty\}$
$\{n=1,2,3,--\infty \infty$ FOR EVER $\infty\}$, is countable, then the set of All the digits of All Real Numbers is Countable.

63 If the Choice Ceases, it is a RATIONAL NUMBER. If the Choice grows on ETERNALLY, it is an IRRATIONAL NUMBER.
64 In the INFINITY OF IRRATIONALS AND RATIONALS, how many options are there for the first DECIMAL PLACE? THINK!Ah! BEHOLD!

65 In the INFINITY OF IRRATIONALS AND RATIONALS, how many options are there for the second DECIMAL PLACE? THINK! Ah! BEHOLD!
66 In the INFINITY OF IRRATIONALS AND RATIONALS, how many options are there for the third DECIMAL PLACE ? THINK! Ah! BEHOLD!
67 In the INFINITY OF IRRATIONALS AND RATIONALS, how many options are there for the $n^{\text {th }}$ DECIMAL PLACE ? THINK! Ah! BEHOLD!

68 GO ON FOR EVER FOR EVER! THINK! Ah! BEHOLD !

69 THE PROOF ENDS HERE !!!! $\infty \infty$ FOR EVER $\infty$ !!!! Ah! BEHOLD

## Theorem

The set of all Irrational Numbers is countable.
The set of all Real Numbers is countable.
Proof:
Every Irrational Number is an INFINITE NEVER-ENDING DECIMAL EXPANSION. There Exists NO Irrational Number that is not an INFINITE NEVER-ENDING DECIMAL EXPANSION. There also Exist INFINITE Rational Numbers that are also INFINITE NEVER-ENDING DECIMAL EXPANSIONS. If we shift to the binary-system from the decimal system, we can clearly re-cognize that each of these INFINITE EXPANSIONS can either have " 0 " or " 1 " for each position from the first position to the LAST FOR EVER FOR EVER.
010110111101010100000111111000000000000010101011010
000010110101010101010101000001010100100000011111111
$111111111111110000000111111111110000--\infty \infty$ FOR EVER $\infty$

Therefore, we can see with our intuition or through the diagramatic representation that the first position in the INFINITE EXPANSION has exactly 2 options. Clearly, for the second position the options become $2^{2}$. For the third position there are $2^{3}$ number of options. This process clearly goes on FOR EVER and we can assert that for the $n^{\text {th }}$ position there are $2^{n}$ options: $\{n=1,2,3,--\infty \infty$ FOR EVER $\infty\}$. Hence the set of all INFINITE Irrational Numbers ( and hence Real Numbers ) is in one-one correspondence with the set $\left\{2^{n}\right\}$.
But then, $\left\{2^{n}\right\}\{n=1,2,3,--\infty \infty$ FOR EVER $\infty\}$ is clearly countable or denumerable. Therefore THE SET OF ALL INFINITE DECIMAL EXPANSIONS IS COUNTABLE OR DENUMERABLE. EVERY IRRATIONAL NUMBER IS AN INFINITE DECIMAL EXPANSION.

THEREFORE THE SET OF ALL IRRATIONAL NUMBERS IS COUNTABLE and also THE SETS OF ALL REAL NUMBERS AND COMPLEX NUMBERS ARE COUNTABLE.
In conclusion we can asseverate that ALL SETS ARE COUNTABLE and that the classification of INFINITE sets into countable and uncountable sets is IGNORANCE. ALL SETS ARE COUNTABLE TO BEGIN WITH AND THE COUNTING IS A NEVER-ENDING GAME. IT IS ALLWAYS AS IF WE HAVE JUST BEGUN !!
[ If we use the decimal system, the number of options for each decimal place for all the decimal expansions would become $10^{n}$.
$\{n=1,2,3,--\infty \infty$ FOR EVER $\infty\}$
If we use a $\nabla$-ary system $\{\nabla=2,3,---\infty \infty$ FOR EVER $\infty\}$, the number of options for each place for all the $\nabla$-ary expansions would become $\nabla^{n}$.
$\{n=1,2,3,--\infty \infty$ FOR EVER $\infty\}$
But $2^{n}$ or $10^{n}$ or $\nabla^{n}$ it is all the same. The set of ALL IRRATIONAL NUMBERS AND REAL NUMBERS IS COUNTABLE.]
[ Since $\Sigma 2^{n}, \Sigma 10^{n}$, or $\Sigma \nabla^{n}\{n=1,2,3,--\infty \infty$ FOR $\operatorname{EVER} \infty\}$, is clearly countable, the set of All digits that constitute the set of All Irrational Numbers and Real Numbers is also countable !!]

## THE PROOF IN A NUTSHELL

The set of All Real Numbers is the set of All sequences of Zeroes and Ones. For every element of the "set of All sequences of Zeroes and Ones", there are exactly $2^{n}$ ways of Choosing the $n^{\text {th }}$ position where $\{\mathrm{n}=1,2,3,--\infty \infty$ FOR EVER $\infty\}$. Since $2^{\mathrm{n}}$ is countable, the set of All Real Numbers is clearly countable. As a consequence the set of All Numbers, rational, irrational, complex, quaternions, octonions, is countable.

## SPECIAL NOTE

To completely write the decimal expansion of any INFINITE Rational or Irrational Number we need INFINITE TIME AND SPACE. The task is clearly ETERNALLY IMPOSSIBLE.

The following elucidation may clarify the essentials even more. Consider the following set I which defines the set of ALL IRRATIONAL NUMBERS in their INFINITE decimal expansions.

$$
\mathbf{I}=\sum_{i=1}^{\infty} \frac{n_{i}}{{ }_{10}\left(\sum z_{i}+\sum \phi_{i}\right)}
$$

$\phi_{i}=$ Number of digits of $n_{i}$
$z_{i}=$ Number of zeroes preceeding $n_{i}$ and succeeding $n_{i-1}$ in the INFINITE decimal expansions.
$\left\{n_{i}=1,2,3, \cdots \infty \infty\right.$ FOR EVER $\left.\infty\right\}$
$\left\{z_{i}=0,1,2,3,--\infty \infty\right.$ FOR EVER $\left.\infty\right\}$
$\left\{\phi_{i}=1,2,3,--\infty \infty\right.$ FOR EVER $\left.\infty\right\}$

Now, $\mathbf{I}=\sum_{i=1}^{\infty} \frac{n_{i}}{10\left(\sum z_{i}+\sum \phi_{i}\right)}$ is a countable INFINITE set by natural definition. Therefore the set of ALL IRRATIONAL NUMBERS is countable. Let us merely note that there exists no irrational number that does not come under the purview of this definition of ALL IRRATIONAL NUMBERS.

## APPENDIX - 1

$\infty$ FOR EVER $\infty \infty--------\infty \infty$ FOR EVER $\infty$


To include the INFINITE Negative rational and irrational numbers, let the Labyrinth grow towards the left too.


It is generally assumed that the set of all Natural Numbers is countable. But the above section of the Labyrinth Diagram indicates the proof for the fact that the set of All Natural Numbers is countable. Every Natural Number finite or INFINITE can be expressed as a finite or NEVERENDING sequence of 0 's and 1's. But for the first position we can allways have only "one", since INFINITE number of zeroes before a Natural Number have no value. For the second position we have exactly 2 options. Proceeding inductively thus, we can see that the options we have for the $n^{\text {th }}$ position are clearly $2^{(n-1)}:\{n=1,2,3,--\infty \infty$ FOR EVER $\infty\}$. Hence the set of All Natural Numbers is in one-one correspondence with the set $\left\{2^{(n-1)}\right\}$ : $\{$ $n=1,2,3,--\infty \infty$ FOR EVER $\infty\}$. But then $\left\{2^{(n-1)}\right\}$, $\{n=1,2,3,--\infty \infty$ FOR EVER $\infty\}$ is a countable set.
So the set of All Natural Numbers is countable. Since $\left\{\Sigma 2^{(n-1)}\right\},\{n=1,2,3,--\infty \infty$ FOR EVER $\infty\}$ is countable, the set of All digits of All Natural Numbers is also countable.


## APPENDIX - 2

Extracts from "INFINITY --- SET THEORY, CANTOR'S DIAGONALIZATION AND THE CONTINUUM HYPOTHESIS. A META-LOGICAL DISCOURSE."

Let us once again look at our two representative diagrams.


------ $\infty \infty$ FOR EVER FOR EVER $\infty$--------- >>>
Fig : 1

| $B_{1}=\begin{array}{llllllllll}1 & 1 & 0 & 0 & 1 & 0 & 1 & 0 & 0\end{array}$ | OOOO FOR EVER OO |
| :---: | :---: |
| $B_{2}=\left\{\begin{array}{llllllllll}0 & 0 & 1 & 1 & 1 & 1 & 0 & 1 & 1\end{array}\right.$ | OOO FOR EVER OO \} |
| $B_{3}=\left\{\begin{array}{lllllllll}1 & 1 & 0 & 0 & 0 & 0 & 1 & 1 & 0\end{array}\right.$ | OOOO FOR EVER OO \} |
| $B_{4}=\left\{\begin{array}{lllllllll}0 & 1 & 1 & 1 & 0 & 1 & 0 & 0 & 1\end{array}\right.$ | OOOO FOR EVER OO \} |
| $B_{5}=\left\{\begin{array}{lllllllllll}1 & 0 & 1 & 0 & 1 & 0 & 1 & 1 & 0\end{array}\right.$ | OOO FOR EVER OO |
| $B_{6}=\left\{\begin{array}{lllllllllll}0 & 0 & 1 & 0 & 1 & 0 & 0 & 1 & 0\end{array}\right.$ | 0000 FOR EVER OO |

$B_{n}=\left\{\begin{array}{llllllllll}0 & 0 & 0 & 0 & 0 & 0 & 0 \\ B_{n+1} & =\left\{\begin{array}{llllllll}1 & 1 & 1 & 1 & 0 & 0 & 0\end{array} \quad \text { OO OO FOR EVER OO }\right.\end{array}\right\}$
OO OO FOR EVER
------ $\infty \infty$ FOR EVER FOR EVER $\infty--------\ggg>$
Fig : 2

Fig : 1 is the diagramatic arrangement to indicate the proof that the union of a countable INFINITE NUMBER(!) of countable INFINITE sets is a countable INFINITE set, or more specifically, that the set of ALL RATIONALS is a countable INFINITE set.

Fig : 2 is the diagramatic arrangement to indicate the proof that the set of ALL sequences of 0's and 1's is an uncountable INFINITE set, or more specifically, that the set of ALL REALS [RATIONALS AND IRRATIONALS] is an uncountable INFINITE set.

An uncountable INFINITE set is defined as a set that IS NOT a countable INFINITE set. We ask the very pertinent question whether the uncountable INFINITE set is uncountable to BEGIN WITH or to END WITH. WE ASSERT THAT IT IS ALLWAYS countable to BEGIN WITH AND ETERNALLY uncountable FOR EVER ie. IT NEVER ENDS !!!!!!

Let us look at these two diagramatic arrangements more thoughtfully - ie. Let us intuit two different thought-experiments on the idea of INFINITE sets.

First, the thought-experiment on the idea of INFINITE sets in the diagramatic arrangement of Fig: 1.

Let $\left\{A_{1}, A_{2}, A_{3},--A_{n}, A_{n+1},--\right.$ FOR EVER FOR EVER \} be a NEVER-ENDING set of human-beings who are all IMMORTAL. Now IMAGINE IN YOUR INFINITEMIND each of these IMMORTAL human-beings $A_{1}, A_{2}$, $A_{3},--A_{n}, \quad A_{n+1},--$ FOR EVER FOR EVER, $L I N-$ EARLY ARRANGING pens or oranges or apples or --FOR EVER FOR EVER, or merely drawing ONES FOR EVER FOR EVER. We have assumed a NEVER-ENDING $S U P P L Y$ of pens or oranges or apples or --- or sufficient quantity [INFINITE QUANTITY] of ink to draw ONES,

FOR ALL ETERNITY, for each of the INFINITE IMMORTAL human-beings $A_{1}, A_{2}, A_{3},---A_{n}, A_{n+1},---$ FOR EVER FOR EVER.

Now, the thought-experiment on the idea of INFINITE sets in the diagramatic arrangement of Fig: 2.

Let $\left\{B_{1}, B_{2}, B_{3},--B_{n}, B_{n+1},--\right.$ FOR EVER FOR EVER \} be a NEVER-ENDING set of human-beings who are all IMMORTAL. Let us also assume that each of these NEVER-ENDING set of human-beings who are all IMMORTAL are provided with an INFINITE NEVERENDING set of switches [on\off-systems] on an INFINITE switch-board. Now IMAGINE IN YOUR INFINITE-MIND each of these IMMORTAL human-beings $B_{1}, B_{2}, B_{3}$, --$B_{n}, \quad B_{n+1},--$ FOR EVER FOR EVER ETERNALLY, engaged in 'putting on' or 'putting off' the NEVER-END$I N G$ set of switches [on\off-systems] on his $\backslash$ her personal INFINITE switch-board FOR EVER FOR EVER. Here 'putting on' is represented by 1 and 'putting off' is represented by 0 . More mathematically speaking we are dealing with an INFINITE set of NEVER-ENDING BooleanLogical decisions for each of these IMMORTAL humanbeings $B_{1}, B_{2}, B_{3},---B_{n}, \quad B_{n+1},---$ FOR EVER FOR EVER ETERNALLY.

Now I request you to dream these two thought-experiments again and again FOR EVER FOR EVER ETERNALLY, desperately, so that you may be filled with the INFINITE FOR EVER FOR EVER ETERNALLY.

Returning to the ideas of countable-INFINITE sets and uncountable-INFINITE sets, the most fundamental question is that if uncountable-INFINITE sets are defined as those sets which ARE NOT countable-INFINITE sets, WHAT DO YOU MEAN BY THIS idea of uncountability?

Do you say that the uncountable-INFINITE sets are uncountable (!) TO BEGIN WITH OR TO END WITH ? TO BEGIN WITH, ALL INFINITE SETS ARE COUNTABLE AND TO END WITH, NONE OF THEM ARE COUNTABLE FOR EVER FOR EVER. INFINITE IS NEVERENDING. OTHERWISE, BY DEFINITION IT IS NOT THE INFINITE.

To indicate the proof that the set of ALL sequences of 0 's and 1's is an uncountable INFINITE set or more specifically that the set of ALL REALS [RATIONALS AND IRRATIONALS] is an uncountable INFINITE set, Cantor's Diagonalization Activity [Process] is invoked. This only proves that we can start a one-one-correspondence of the set of ALL NATURAL NUMBERS to the set of ALL sequences of 0's and 1's, but we can NEVER EVER complete the one-one-correspondence. THIS IS JUST LIKE ASSERTING THAT THERE EXISTS NO LARGEST NATURAL NUMBER. WHENEVER WE COUNT, IT IS ALLWAYS AS IF WE HAVE MERELY SAID 'ONE'. WE ARE ALLWAYS AT THE VERY BEGINNING. EVERY NATURAL NUMBER IS A SELF CREATED INFINITY, A PRIMORDIAL INDUCTIVE-ELEMENT FOR EVER FOR EVER. LAUS DEO !!!!

Now the Cantorian argument says that the INFINITE in the second thought-experiment of INFINITE switches and INFINITE IMMORTAL switch-board-operators, is more INFINITE than the thought-experiment of INFINITE pens and pen-arrangers! But this is either nonsense, ignorance or both together FOR EVER FOR EVER. Let us affirm once again TO BEGIN WITH, ALL INFINITE SETS ARE COUNTABLE AND TO END WITH, NONE OF THEM ARE COUNTABLE FOR EVER FOR EVER. INFINITE

IS NEVER-ENDING. OTHERWISE, BY DEFINITION IT IS NOT THE INFINITE.

WHEN DOES THE FINITE BECOME INFINITE IN ITS INFINITE NEVER-ENDING GOING? FINITE ITSELF IS NEVER-ENDING; INFINITE NEVER BEGINS!

We also assert that there exists no partial-ordering in the NEVER-ENDING regions of the INFINITE.

## OM POORNAMADA: POORNAMIDAM POORNAT POORNAMUDACHYATE POORNASYA POORNAMADAYA POORNAMEVAVASHISHYATE

Let us also specifically note that every first-element of the newly constructed [ mentally arranged] countable set of $A L L$ the Diagonal-elements conjured up to prove the uncountability of the set of ALL SEQUENCES of 0's and 1's, BEGINS ALLWAYS with the first-element of our imaginary INFINITE arrangement [Fig:2]. ONE $\{1\}$ is simply a self-generating INFINITY. We can also clearly intuitively sense that every NATURAL NUMBER is a self-generating INFINITY. Cantor's Diagonalization merely tells us that we can start constructing an arbitrary denumerable (countable) set from those already constructed and go on doing this FOR EVER FOR EVER. But we have already seen that even every denumerable set can generate INFINITE denumerable sets as a consequent property of its INFINITE NEVER-ENDING linear-arrangement of INFINITE (!) symbols.
Let us affirm once again: TO BEGIN WITH, ALL INFINITE SETS ARE COUNTABLE AND TO END WITH, NONE OF THEM ARE COUNTABLE FOR EVER FOR EVER. INFINITE IS NEVER-ENDING. OTHERWISE, BY DEFINITION IT IS NOT THE INFINITE.

It was natural-intuitive-wisdom for mathematicians to realize (re-cognize) that the set of $A L L$ RATIONAL-NUM$B E R S$ is not in any way more INFINITE than the set of ALL NATURAL-NUMBERS, despite the fact that between any two RATIONALS there allways exist INFINITE $R A$ TIONALS and between any two NATURAL-NUMBERS there allways exist only a FINITE number of NATURAL$N U M B E R S$. [Further, between any two successive NATU-RAL-NUMBERS there never exists any NATURALNUMBER.] But when mathematicians prove (!) and insist that the set of $A L L$ IRRATIONAL-NUMBERS(!) is more
(!) INFINITE [uncountable INFINITE] than the set of ALL RATIONAL-NUMBERS which is mere (!) countable INFINITE, they went tangentially away from the TRUTH of the INFINITE FOR EVER FOR EVER.

Let us affirm once again: TO BEGIN WITH, ALL INFINITE SETS ARE COUNTABLE AND TO END WITH, NONE OF THEM ARE COUNTABLE FOR EVER FOR EVER. INFINITE IS NEVER-ENDING. OTHERWISE, BY DEFINITION IT IS NOT THE INFINITE.

To mathematicians who have followed me up till now, I must clarify a certain fundamental intuitive conceptual point. Here we have questioned the validity of the Cantor's Diagonalization argument used as a method for creating a new (!) type of INFINITE set, more (!) INFINITE than the existent countable INFINITE set. But the Diagonalization used by Gödel in his Incompletness-theorem to prove that every Formal mathematical-system $\left[\mathrm{eg} . Z_{1}\right]$ generates its own INFINITE system of undecidable propositions is not invalidated. Diagonalization as used in Turing's argument that there is no universal algorithm for deciding whether or not a Turing-machine is going to stop or implicatively that Hilbert's Entscheidungs Problem has no solution is also not
invalidated. This is to clarify that Diagonalization as a process indicating a NEVER-ENDING INDECISION is not questioned because that is the inherent intuitive property of every INFINITE inductive set.

## EPILOGUE

I certainly re-cognize that I am pointing out a fundamental misconception and error in the by now well-accepted post-Cantorian formal Mathematics of INFINITE sets, as formalized in the Zermelo-Fraenkel Axiomatic-Scheme and the extended Gödel-Bernays Axiomatic-Scheme etc. If uncountable INFINITE sets different from countable INFINITE sets don't exist ie. If every set can be set into a one-one correspondence with the set of All Natural Numbers, an enormous amount of accepted formal mathematics looses its formal value and anything of value in this debris of verbosity has to be re-stated. [Ref-3]. GCH is a non-existent problem equating non-existent infinites(!!!). Gödel's theorems on the consistency of the GCH and the AC are sheer absurd exercises in ETERNAL FUTILITY to put it mildly! AC is not needed if uncountable infinite sets Don't Exist. All countable INFINITE sets are wellordered. So it is not necessary to assume the AC, because AC is implied in the idea of set with elements.
[ For more details see Ref-3].
Such general clarifications have happened earlier in the history of Mathematics. For centuries, people were trying to trisect an angle and square the circle, before Galois proved that it is not possible to do these things. Similarly, Abel had to demonstrate that there exist no analytical solutions for the quintic and above.

I pray that my fate is not Abel's!! Whatever it is, I am INFINITELY sure that Vincit omnia veritas Allways!! OM NAMA SHIVAYA!

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For ZERO and THE DECIMAL SYSTEM.

## Zero

One became many
And
Counting came to Be .
Before one, Zero?
God! Zero, Zero, Zero --- --- --- !
Somewhere in
The Primordial Point of no-reference
Infinite Primordial Points of pervasive reference
The Magic Zero
Became Revealed.
Apparent history
(All history is apparent!)
Asserts that
Zero came from India
From the Indian mind
From some unknown Indian mind,
Making a tiny circle
Bestowing on it
Power, potential, value
Calling it
Shoonyam, Poojyam
Conjuring
The Primal Magic of
The Decimal system.
Inscribe
Ten zeroes

Hundred zeroes
Thousand zeroes
Million zeroes
Billion zeroes
Million, million, million --------- zeroes
Billion, billion, billion --------- zeroes
After a solitary "One"
Define
The infinity of numbers.
For the sake
Of future historians
May I hail
This unknown creator
Discoverer De-coverer
Of Zero
As the God-father
Of Mathematical Analysis
Of Theoretical Physics
Of All measures
Of Binary system and Boolean logic
Of All Computers
(For instance imagine
a computer without zero)
Of Prime-Number Problem and Goldbach
Of Riemann Gödel Einstein Ramanujan------ --
Of Nuclear Fission and Fusion
Of Genetic Codes and Planck's constant
Of Big-Bangs and Many-worlds
Of Bell's Theorem and Carbon dating ---------
Should I say more?
Could I say more?
How could I say more?
More More More
Zero Zero Zero

All posterity is Perpetually doomed
To say zero zero zero
Here there everywhere.
Glorify
The Primal Seer-mind
And the unknown body
Centering the Magic mind.
One Became Many
And
Counting came to Be .
Before one, Zero?
God! Zero Zero Zero --- --- -- - !
Zero by Zero is Maya
God! Zero Zero Zero --------- !
$\infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty$
2) Borges Jorge Luis:

I share with Borges an intense obsession for the INFINITE and NEVER-ENDING LABYRINTHS. The following poem affirms my infinite gratitude.

## A HOMAGE TO BORGES

(To Pramod)
From the solitary Library of Babel
Where the infinite libraries fuse together
Radiating into a primordial architecture
I unearthed your rare treasures.
Now that I have
They turn our common heritage
Our ageless pages of The Book of Sand.

Achilles and tortoises tentatively resolve
Zeno's paradoxes breezing through
The stormy spider mizmazes
In the mystery universes of infinitesimals
Concealed in the magic of point references
Concealed in the linear nature of terruvial time.
Certan's Paradox of self-reference
Retains its primal paradoxical nature
Parodying itself:
The primal semantics is inevitably
A Self-evident self-parody: a sacred tautological Silence.
We will evade infinitely regressing arguments
Of the dream within a dream within a dream within a dream
From the Ramayana and the Arabian Nights
And the two ageless mirrors facing each other for ever Proceed in the timeless faith
Of the key sound-word-cadence
That knows it All
Resolves it All.
Sometimes
Wandering through these Circular Ruins
Through the Garden of infinite Forking Paths
I suffer Fumes's agonizing memory -
Protean Golem drifts from tale to tale

Freshly disguised every new day.
All the mythologies, parables, cosmologies, fables are
This moment of no-reference -
God bless the point of infinite imaginings.

I may never see Buenos Aires, Yet Buenos Aires now is part of my fable. I have re-cognized strange Labyrinths of Tlön Through your non-seeing eyes Discovering the stars, mirrors and roses anew Discovering the dubious topology of a one-sided coin Discovering the arithmetic irony of the Babylonian Lottery Sensing a rare geometric smell of the word Through your chaste etymological meanderings!

Before I move away Into another Cosmic Envelope Into another primeval ecological niche Become another Imaginary Being In the book of infinite beings of imaginations (which I am sure All Beings Do) I must thank my friend For leading me to your quiet shelf In The infinite Library of Babel.

Honestly I don't possess
A copy of The Book of Sand:
If I really did
why should I wander through
These never ending corridors
Of The Library of Babel.
Here lies completed
Another inevitable page
In the Book of Sand.
I wonder where it rests
Safely in The Library of Babel -
Here!?
3) Narayanan Raghunathan

INFINITY ------ SET THEORY, CANTOR'S DIAGONALIZATION AND THE CONTINUUM HYPOTHESIS. A META-LOGICAL DISCOURSE.
(unpublished)
The prologue of this book is given below.

## PROLOGUE

This is a monograph on the foundations of Set theory of INFINITE Sets. It is by now one of the fundamentally accepted conventions of this rather vociferous theory that there exist countable(denumerable) and uncountable(undenumerable) types of INFINITE sets. The proof for the existence of uncountable INFINITE sets \{ for example the theorem that the set of ALL REAL NUMBERS is uncountable or that, the set of ALL REAL NUMBERS between any two Real Numbers is uncountable (whereas the set of ALL RATIONAL NUMBERS IS countable) \}, uses the by now legendary Cantor's Diagonalization Process or the Diagonal Slash method to arrive at a contradiction! But this reductio ad absurdum mode of proof using diagonalization or a similar INFINITELY time-consuming inductive-imagination proves NOTHING. The method of Diagonalization merely says that we can count along the diagonal now. Ah! the INFINITE COUNTABLE DIAGONAL! That is to asseverate once and for ALL FOR EVER that there exists no uncountable set such that it is greater than $\{>\}$, more INFINITE than, a countable INFINITE set. Every INFINITE set IS COUNTABLE TO BEGIN WITH AND ETERNALLY INEXHAUSTIBLE; IT NEVER ENDS; IT CAN NEVER END. EVEN IF WE ARE IMMORTAL WE CAN NEVER NEVER EVER EXHAUST COUNTING A COUNTABLE INFINITE SET.

THE SET OF ALL NATURAL NUMBERS IS ETERNALLY INEXHAUSTIBLE; EVERY ELEMENT \{NATURAL NUMBER\} IS A SELF-GENERATIVE-INDUCTIVE ELEMENT. CLEARLY THERE EXISTS NO LARGEST NATURAL NUMBER; THERE CAN NEVER EXIST A LARGEST NATURAL NUMBER. It is this most self-evident fact that the first discourse dwells upon. This discourse [Discourse-1] is simple and allmost a childlike meandering that can be read and understood by anybody who can count on FOR EVER. I thought that I had said allmost everything essential. Yet, I felt that I may be mistaken to be an amateur idiot making noise for attention. But honestly, that is not the intention at all.

Discourse-2 is meant for students of mathematics. It takes out the essentials of 'Chapter -2: Set Theory' from the "Principles of Mathematical Analysis" by Walter Rudin and submits it to a further analysis in the light of Discourse1. Once again we reassert the intuitive meta-logical assertions more formally now, or apparently more formally.

By now I had disturbed a Hornet's Nest. I had to be more formal and reaffirm the simple Truth for which I stand. Discourse-3 is the final indulgence. Here, Paul J. Cohen's "Set Theory and the Continuum Hypothesis" is presented in full with the author's inter-fusing but interfering discourse. We Re-Cognize that the Zermelo-Fraenkel Axiom Structure is totally ill-founded. We realize that the $A x$ iom of Infinity is a lie. The Axiom of Replacement is an INFINITE ETERNALLY UNCOUNTABLE family of axioms. The Axiom of the Power Set is a lie because $P(N)$ is Countable, or the Power Set of any set is Countable. The Axiom of Choice is Implicit in the idea of an INFINITE set because every set is Well-Ordered. We continue to wander and destroy the whole Zermelo-Fraenkel architectures of
absurdity. We further wander through the Gödel-Bernays indulgences and the rest of the book destroying merrily inevitably. We also Re-Cognize that the Generalized Continuum Hypothesis ( GCH ) is a false equality, clearly because the idea of the INFINITE transcends ALL measures. That is, Gödel's Meta-Mathematical Theorem that states that a Logical-Contradiction obtained by the application of GCH may be obtained without the application of GCH, is like saying that, "Assuming the equality "Fire = Water" does not change the Natural Laws of Natural Numbers." The Axiom of Choice is implicit in the idea of INFINITE sets. Naturally, whether you assume the Axiom of Choice formally or not, every INFINITE set is Well-Ordered implicitly in the intuitive idea of a set. Gödel's Incompleteness theorem had Revealed the essentials, telling Mathematicians what not to do. I still wonder why Gödel himself didn't see the utter futility of Zermelo-Fraenkel, Gödel-Bernays and such pseudo-axiomatic structures.

One fundamental but trivial TRUTH is enhanced by these discourses "Every irrational number however long you may write it in any notation (binary, decimal, N -ary), is allways a rational number." This LAW is ETERNALLY valid, even if you have INFINITE TIME, EVEN IF YOU ARE IMMORTAL.

It is with great pain that I close this Prologue. Cantor's Diagonalization method to prove the existence of Uncountable INFINITE sets was actually an idea that had impressed me for its genius. Gödel's Incompleteness-Theorem had really changed my life. Now in my discoursing against their teaching there is a tragic element of meta-physical-multi-dimensional patricide which is deeply regretted.

There is an imminence about the genesis of this book, about it ALL. Refer Appendix-5 for further details. I request your TIME for wandering with me. All the Appendices may be read before and along with the text. They are also essential to the discourses that follow.

Yours Most Sincerely,
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THE POWER SET OF<br>EVERY COUNTABLE INFINITE SET IS COUNTABLE.<br>$\infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty$

Narayanan Raghunathan

Abstract:- First we prove that the set of ALL finite subsets of any countable INFINITE set is countable. Then we prove that the set of ALL INFINITE subsets of any countable INFINITE set is countable. Thus we prove once and for ALL, FOR EVER that THE POWER SET OF EVERY COUNTABLE INFINITE SET IS COUNTABLE. We also prove thereby that the Axiom of the power Set of the Zermelo-Fraenkel Scheme, the Gödel-Bernays Scheme etc is FALSE!!

$$
\infty \infty \infty \infty \infty \infty \infty \infty \infty
$$

## Theorem

The Power Set of Every Countable Infinite Set is Countable.

Proof: Let $\mathrm{X}=\left\{\mathrm{x}_{i}, \mathrm{x}_{2}, \mathrm{x}_{3}, \mathrm{x}_{4}, \mathrm{x}_{5}, \cdots-\cdots \infty\right.$ FOR EVER $\infty\}$ be a Countable Infinite Set.
Let $\mathrm{P}(\mathrm{X})$ be the Power set of X that consists of the set of All sub-sets of X.
Let $\phi$ be the null set.
Let $\mathrm{P}_{1}(\mathrm{X})=\left\{\left[\mathrm{x}_{\mathrm{i}_{1}}\right]\left\{\mathrm{i}_{1}=1,2,3,---\infty \infty\right.\right.$ FOR EVER $\left.\infty\right\}$ be the set of All sub-sets of X with a single element each.
Let $\mathrm{P}_{2}(\mathrm{X})=\left\{\left[\mathrm{x}_{\mathrm{i}_{1}}, \mathrm{x}_{\mathrm{i}_{2}}\right]\right\}\left\{\mathrm{i}_{1}, \mathrm{i}_{2}=1,2,3,---\infty \infty\right.$ FOR EVER $\infty\}$ be the set of All sub-sets of X with two elements each.----
Let $\mathrm{P}_{\mathrm{n}}(\mathrm{X})=\left\{\left[\mathrm{x}_{\mathrm{i}_{1}} \mathrm{x}_{\mathrm{i}_{2}}, \cdots--\mathrm{x}_{\mathrm{i}_{n}}\right]\right\}$
$\left\{i_{1}, i_{2},---i_{n}=1,2,3,---\infty \infty\right.$ FOR EVER $\left.\infty\right\}$ be the set of All sub-sets of X with "n" elements each.
Now $\phi$ is clearly Countable, rather there is nothing to count here.
$P_{1}(X)=\left\{\left[\mathrm{x}_{\mathrm{i}_{1}}\right]\left\{\mathrm{i}_{1}=1,2,3,---\infty \infty\right.\right.$ FOR EVER $\left.\infty\right\}$ has exactly the same number of elements as $X$ and hence $P_{1}(X)$ is also Countable.
Now in $\mathrm{P}_{2}(\mathrm{X})=\left\{\left[\mathrm{x}_{\mathrm{i}_{1}}, \mathrm{x}_{\mathrm{i}_{2}}\right]\right\}\left\{\mathrm{i}_{1}, \mathrm{i}_{2}=1,2,3,---\infty \infty\right.$ FOR EVER $\infty\}$, every element of $P_{1}(X)$ creates a Countable Infinite number of elements each by conjoining with each element of X . Therefore $\mathrm{P}_{2}(\mathrm{X})$ is Countable union of Countable infinite sets and hence Countable.
Now in $\mathrm{P}_{3}(\mathrm{X})=\left\{\left[\mathrm{x}_{\mathrm{i}_{1}}, \mathrm{x}_{\mathrm{i}_{2}}, \mathrm{x}_{\mathrm{i}_{3}}\right]\right\}\left\{\mathrm{i}_{1}, \mathrm{i}_{2}, \mathrm{i}_{3}=1,2,3,---\infty \infty\right.$ FOR EVER $\infty\}$, every element of $\mathrm{P}_{2}(\mathrm{X})$ creates a Countable Infinite number of elements each by conjoining with each element of X . Therefore $\mathrm{P}_{3}(\mathrm{X})$ is Countable union of Countable infinite sets and hence Countable.
Now let us assume that $\mathrm{P}_{\mathrm{n}}(\mathrm{X})$ is Countable.
Now in $P_{(n+1)}(X)=\left\{\left[\mathrm{x}_{\mathrm{i}_{1}}, \mathrm{x}_{\mathrm{i}_{2}}, \mathrm{x}_{\mathrm{i}_{3}},---\mathrm{x}_{\mathrm{i}_{(\mathrm{n}+1)}}\right]\right\}$
$\left\{i_{1}, i_{2}, i_{3}-\cdots i_{(n+1)}=1,2,3,-\cdots \infty \infty\right.$ FOR EVER $\left.\infty\right\}$, every element of $\mathrm{P}_{\mathrm{n}}(\mathrm{X})$ creates a Countable Infinite number of elements each by conjoining with each element of X . Therefore $\mathrm{P}_{(\mathrm{n}+1)}(\mathrm{X})$ is Countable union of Countable infinite sets and hence Countable.
Thus we have proved that $\mathrm{P}_{1}(\mathrm{X})$ is Countable and that if $\mathrm{P}_{\mathrm{n}}(\mathrm{X})$ is Countable $\mathrm{P}_{(\mathrm{n}+1)}(\mathrm{X})$ is Countable.
But then $P(X)=\phi \cup P_{1}(X) \cup P_{2}(X)----\cup P_{n}(X)----\infty \infty$ FOR EVER $\infty$
THEREFORE $\mathrm{P}(\mathrm{X})$ is ETERNALLY COUNTABLE FOR EVER!!!

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\infty\infty\infty\infty\infty\infty\infty\infty\infty\infty\infty\infty\infty\infty
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Note: We have not eliminated superfluous entries like $\left\{\mathrm{x}_{1}\right.$, $\left.\mathrm{x}_{1}\right\}$ since it does not matter for our proof. We can easily eliminate them.
My friends Ranganath and Krishnan who read the above proof, pointed out to me that the proof holds only for ALL FINITE SUBSETS and does not include the case of INFINITE SUBSETS. So we prove the theorem for ALL INFINITE SUBSETS too.

We first consider the regularly progressing INFINITE SUBSETS of
$\mathrm{X}=\left\{\mathrm{x}_{1}, \mathrm{x}_{2}, \mathrm{x}_{3}, \mathrm{x}_{4}, \mathrm{x}_{5},----\infty \infty\right.$ FOR EVER $\left.\infty\right\}$
Let $\mathrm{X}_{\mathrm{c}_{\mathrm{i}}+\mathrm{nk}}=\left\{\mathrm{x}_{\mathrm{c}_{\mathrm{i}}}, \mathrm{x}_{\mathrm{c}_{\mathrm{i}}+\mathrm{k}}, \mathrm{x}_{\mathrm{c}_{\mathrm{i}}+2 \mathrm{k}},-\cdots-\mathrm{x}_{\mathrm{c}_{\mathrm{i}}+\mathrm{nk}}-\cdots \infty \infty\right.$ FOR EVER $\infty\}$

$$
\begin{aligned}
& \mathrm{c}_{\mathrm{i}}=\{1,2,3 \cdots--\infty \infty \text { FOR EVER } \infty\} \\
& \mathrm{k}=\{1,2,3--\infty \infty \text { FOR EVER } \infty\} \\
& \mathrm{n}=\{1,2,3---\infty \infty \text { FOR EVER } \infty\}
\end{aligned}
$$

Now $\mathrm{X}_{\mathrm{c}_{\mathrm{i}}+\mathrm{nk}}=\left\{\mathrm{x}_{\mathrm{c}_{\mathrm{i}}}, \mathrm{x}_{\mathrm{c}_{\mathrm{i}}+\mathrm{k}}, \mathrm{x}_{\mathrm{c}_{\mathrm{i}}+2 \mathrm{k}},---\mathrm{x}_{\mathrm{c}_{\mathrm{i}}+\mathrm{nk}},----\infty \infty\right.$ FOR EVER $\infty\}$ is clearly a union of countable INFINITE SETS and hence countable.

Now we consider the irregularly (randomly) progressing INFINITE SUBSETS of $\mathrm{X}=\left\{\mathrm{x}_{1}, \mathrm{x}_{2}, \mathrm{x}_{3}, \mathrm{x}_{4}, \mathrm{x}_{5},---\infty \infty\right.$ FOR EVER $\infty$ \}

Let $X_{\sum \mathrm{c}_{\mathrm{i}_{\mathrm{j}}}}=\left\{\mathrm{X}_{\mathrm{c}_{\mathrm{i}_{1}}}, \mathrm{x}_{\mathrm{c}_{\mathrm{i}_{1}}+\mathrm{c}_{\mathrm{i}_{2}}},---\mathrm{X}_{\mathrm{c}_{\mathrm{i}_{1}}+\mathrm{c}_{\mathrm{i}_{2}}},---+\mathrm{c}_{\mathrm{i}_{\mathrm{j}}},---\infty \infty\right.$ FOR EVER $\infty\}$

$$
\begin{aligned}
\mathrm{c}_{\mathrm{i}_{\mathrm{i}}} & =\{1,2,3---\infty \infty \text { FOR EVER } \infty\} \\
\mathrm{j} & =\{1,2,3---\infty \infty \text { FOR EVER } \infty\}
\end{aligned}
$$

 FOR EVER $\infty\}$
is clearly a countable union of countable INFINITE SETS and hence countable. Further $\exists$ NO INFINITE SUBSETS OF X that is excluded in this proof.
When $\mathrm{c}_{\mathrm{i}_{2}}=\mathrm{c}_{\mathrm{i}_{3}----}=\mathrm{c}_{\mathrm{i}_{\mathrm{j}}}=\mathrm{k}$, the randomly collected countable INFINITE SUBSETS become regularly collected. NOW I AM INFINITELY SURE THAT I HAVE PROVED FOR EVER, THAT POWER SET OF ANY COUNTABLE INFINITE SET, IS COUNTABLE FOR EVER.
$\infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty$
For the ETERNALLY FALSE, by now traditional proof for the uncountability of the Power Set of the Countable Infinite set, see page 41[1]. Also, those who are not sure that 1 is the smallest NATURAL NUMBER, see page 17[1], for the profound proof.

Conclusions: Since, "The Power Set of Every Countable Infinite Set is Countable", the fundamental 'Axiom of the power set' of the Zermelo-Fraenkel Scheme is FALSE. For more details see [2] and [3]

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# ALL IRRATIONALS [AND HENCE ALL REALS] ARE COUNTABLE-II 

$\infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty$

## NARAYANAN RAGHUNATHAN

Abstract: Another proof(!) for this ETERNAL TRUTH is elucidated here.

Theorem :-

## ALL IRRATIONALS [ AND HENCE ALL REALS ] ARE COUNTABLE

## Proof:-

Let N be the set of ALL NATURAL NUMBERS. Let $\mathrm{N}_{\mathrm{F}}$ be the set of ALL Finite NATURAL NUMBERS and let $\mathrm{N}_{\mathrm{I}}$ be the set of ALL INFINITE NATURAL NUMBERS ie. NATURAL NUMBERS that are NEVER-ENDING.

$$
\mathrm{N}=\mathrm{N}_{\mathrm{F}} \cup \mathrm{~N}_{\mathrm{I}}
$$

Since $N$ is countable by definition, $N_{F}$ and $N_{I}$ being proper subsets of N are also Countable.
Now consider I the set of ALL INFINITE DECIMAL EXPANSIONS which include ALL THE IRRATIONAL EXPANSIONS and ALL INFINITELY LONG RATIONAL EXPANSIONS. Let us assume that the Decimal Expansions are in the binary notation. So every element of I can either Begin with 0 or 1 . Let $\mathrm{I}_{0}$ be the set of ALL elements of $I$ that begin with 0 and let $I_{1}$ be the set of ALL elements of I that begin with 1 .

$$
\mathrm{I}=\mathrm{I}_{0} \cup \mathrm{I}_{1}
$$

$\mathrm{N}_{\mathrm{I}}$ and $\mathrm{I}_{1}$ can clearly be set into a one-one correspondence with each other since they are identical expansions but for the decimal point before each element in $\mathrm{I}_{1}$. But $\mathrm{N}_{\mathrm{I}}$ is countable. Therefore $\mathrm{I}_{1}$ is also Countable.

Let $x_{i}$ be any element of $\mathrm{I}_{1}$. Let $\mathrm{I}_{0_{x_{\mathrm{i}}}}$ be set of ALL elements of $\mathrm{I}_{0}$ that are identical with $\mathrm{x}_{i}$ but for the Zeroes preceeding the Expansion. Each $\mathrm{x}_{\mathrm{i}}$ could have " n " Zeroes preceeding it and $\mathrm{n}=1,2,3-\cdots \infty \mathrm{I}_{0_{x_{\mathrm{i}}}}$ is a Countable INFINITE SET for Each value of $\mathrm{x}_{i}$.
But then $I_{1}=\left\{x_{i}\right\}$ is countable

$$
I_{0}=I_{0_{x_{1}}} \cup I_{0_{x_{2}}} \cup I_{0_{x_{3}}} \cup---\cup I_{0_{x_{x_{1}}}}---\infty \infty \text { FOR EVER } \infty
$$

$\mathrm{I}_{0}$ is clearly a Countable Union of Countable INFINITE sets and hence Countable.

We have proved that $\mathrm{I}_{0}$ and $\mathrm{I}_{1}$ are both Countable INFINITE sets.
This implies that
$\mathrm{P}_{\mathrm{I}}(\mathrm{X})=\left\{\mathrm{x}_{\mathrm{i}_{1}}, \mathrm{x}_{\mathrm{i}_{2}}, \mathrm{x}_{\left.\mathrm{i}_{3}---\mathrm{x}_{\mathrm{i}_{\mathrm{j}}}---\infty \infty \text { FOR EVER } \infty\right\} \text { is }, ~}\right.$ Countable.
$\left\{\mathrm{i}_{\mathrm{j}}=1,2,3,4 \cdots \infty \infty\right.$ FOR EVER $\left.\infty\right\}$
$\{\mathrm{j}=1,2,3,4-\cdots \infty$ FOR EVER $\infty\}$
$\mathrm{P}(\mathrm{X})=\mathrm{P}_{\mathrm{F}}(\mathrm{X}) \cup \mathrm{P}_{\mathrm{I}}(\mathrm{X})$.
$P_{F}(X)$ is Countable and $P_{I}(X)$ is Countable.
Therefore $\mathrm{P}(\mathrm{X})$ is Countable.

$$
\infty \quad \text {-END- }
$$

An Observation:
The Set $\mathrm{N}_{\mathrm{I}}$ could be proved to be uncountably INFINITE using the "cantor's diagonalization legerdemain": We may have to exclude the first digit of each INFINITE NATURAL NUMBER (in the binary notation) from the listing or diagonalize along $\mathrm{x}_{(\mathrm{i}, \mathrm{i}+1)}$ instead of along $\mathrm{x}_{(\mathrm{i}, \mathrm{i})}$ which are identical. But then, that would contradict the very definition of Countable INFINITE Sets. So the ironic option is clear FOR EVER FOR ALL BEINGS PAST PRESENT FUTURE OTHERWISE. THE SET OF ALL IRRATIONALS IS COUNTABLY INFINITE or the set of ALL NATURAL NUMBERS is UNCOUNTABLY INFINITE, ETERNALLY contradicting the very definition of COUNTABLY INFINITE Sets!!!!! $\infty \infty$.

OM SHRI MAHA GANAPATHAYE NAMA:
$\infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty$
OM POORNAMADA: POORNAMIDAM POORNAT POORNAMUDACHYATE POORNASYA POORNAMADAYA POORNAMEVAVASHISHYATE

OM SHOONYAMADA: SHOONYAMIDAM SHOONYAT SHOONYAMUDACHYATE SHOONYASYA SHOONYMADAYA SHOONYAMEVAVASHISHYATE

## THE POWER SET OF EVERY COUNTABLE INFINITE SET IS COUNTABLE - II

$\infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty \infty$

Narayanan Raghunathan

Abstract: Another proof(!) for this ETERNAL FACT is elucidated here.

## Theorem

THE POWER SET OF EVERY COUNTABLE INFINITE SET IS COUNTABLE

## Proof:

Let $\mathrm{X}=\left\{\mathrm{x}_{1}, \mathrm{x}_{2}, \mathrm{x}_{3}, \mathrm{x}_{4}, \mathrm{x}_{5},-\cdots \infty\right.$ FOR EVER $\left.\infty\right\}$ be a Countable Infinite Set.

Let $\mathrm{P}(\mathrm{X})$ be the Power Set of X that consists of the Set of All sub-sets of X.
$P(X)=P_{F}(X) \cup P_{I}(X)$ where $P_{F}(X)$ is the set of ALL finite subsets of $\mathrm{P}(\mathrm{X})$ and $\mathrm{P}_{\mathrm{I}}(\mathrm{X})$ is the set of ALL INFINITE subsets of $\mathrm{P}(\mathrm{X})$. We have proved earlier that the set of ALL finite subsets of $\mathrm{P}(\mathrm{X})$ is Countable. Here we provide another argument to prove that the set of ALL INFINITE subsets of $\mathrm{P}(\mathrm{X})$ is Countable.

$$
\mathrm{P}_{\mathrm{I}}(\mathrm{X})=\left\{\mathrm{x}_{\mathrm{i}_{1}}, \mathrm{x}_{\mathrm{i}_{2}}, \mathrm{x}_{\left.\mathrm{i}_{3}-\cdots-\mathrm{x}_{\mathrm{i}_{\mathrm{j}}}---\infty \infty \text { FOR EVER } \infty\right\}}\right.
$$

$\left\{\mathrm{i}_{\mathrm{j}}=1,2,3,4,-\cdots \infty\right.$ FOR EVER $\left.\infty\right\}$
$\{\mathrm{j}=1,2,3,4,---\infty \infty$ FOR EVER $\infty\}$
Let N be the set of ALL NATURAL NUMBERS. Let $\mathrm{N}_{\mathrm{F}}$ be the set of ALL Finite NATURAL NUMBERS and let $\mathrm{N}_{\mathrm{I}}$ be the set of ALL INFINITE NATURAL NUMBERS ie. NATURAL NUMBERS that are NEVER-ENDING.

$$
\mathrm{N}=\mathrm{N}_{\mathrm{F}} \cup \mathrm{~N}_{\mathrm{I}}
$$

Since $N$ is Countable by definition, $\mathrm{N}_{\mathrm{F}}$ and $\mathrm{N}_{\mathrm{I}}$ being proper subsets of N are also Countable.

Consider the set
$\mathrm{I}_{\mathrm{J}}=\left\{\mathrm{i}_{1} \mathrm{i}_{2} \mathrm{i}_{3}-\cdots-\infty \infty\right.$ FOR EVER $\left.\infty\right\}$
$\left\{\mathrm{i}_{\mathrm{j}}=1,2,3,4,-\cdots \infty \infty\right.$ FOR EVER $\left.\infty\right\}$
$\{\mathrm{j}=1,2,3,4,-\cdots \infty \infty$ FOR EVER $\infty\}$
We can see that
$\mathrm{I}_{\mathrm{J}}=\left\{\mathrm{i}_{1} \mathrm{i}_{2} \mathrm{i}_{3}-\cdots \infty \infty\right.$ FOR EVER $\left.\infty\right\}=\mathrm{N}_{\mathrm{I}}$
$\left\{\mathrm{i}_{\mathrm{j}}=1,2,3,4,-\cdots \infty \infty\right.$ FOR EVER $\left.\infty\right\}$
$\{\mathrm{j}=1,2,3,4,-\cdots \infty \infty$ FOR EVER $\infty\}$
But $\mathrm{N}_{\mathrm{I}}$ is Countable. Therefore
$\mathrm{I}_{\mathrm{J}}=\left\{\mathrm{i}_{1} \mathrm{i}_{2} \mathrm{i}_{3}---\infty \infty\right.$ FOR EVER $\left.\infty\right\}$ is Countable.
$\left\{\mathrm{i}_{\mathrm{j}}=1,2,3,4,-\cdots \infty \infty\right.$ FOR EVER $\left.\infty\right\}$
$\{\mathrm{j}=1,2,3,4,---\infty \infty$ FOR EVER $\infty\}$
This implies that
$\mathrm{P}_{\mathrm{I}}(\mathrm{X})=\left\{\mathrm{x}_{\mathrm{i}_{1}}, \mathrm{x}_{\mathrm{i}_{2}}, \mathrm{x}_{\left.\mathrm{i}_{3}----\mathrm{x}_{\mathrm{i}_{\mathrm{j}}}---\infty \infty \text { FOR EVER } \infty\right\} \text { is }}\right.$ Countable.
$\left\{\mathrm{i}_{\mathrm{j}}=1,2,3,4-\cdots \infty \infty\right.$ FOR EVER $\left.\infty\right\}$
$\{\mathrm{j}=1,2,3,4-\cdots \infty \infty$ FOR EVER $\infty\}$
$\mathrm{P}(\mathrm{X})=\mathrm{P}_{\mathrm{F}}(\mathrm{X}) \cup \mathrm{P}_{\mathrm{I}}(\mathrm{X})$.
$P_{F}(X)$ is Countable and $P_{I}(X)$ is Countable. Therefore $\mathrm{P}(\mathrm{X})$ is Countable.
-END-
$\infty \infty \infty \infty \infty \infty \infty \infty \infty$
An Observation:
The Set $\mathrm{N}_{\mathrm{I}}$ could be proved to be uncountably INFINITE using the "cantor's diagonalization legerdemain" : We may have to exclude the first digit of each INFINITE NATURAL NUMBER (in the binary notation) from the listing or diagonalize along $\mathrm{x}_{(\mathrm{i}, \mathrm{i}+1)}$ instead of along $\mathrm{x}_{(\mathrm{i}, \mathrm{i})}$ which are identical. But then, that would contradict the very definition of Countable INFINITE Sets. So the ironic option is clear FOR EVER FOR ALL BEINGS PAST PRESENT FUTURE OTHERWISE. THE SET OF ALL IRRATIONALS IS COUNTABLY INFINITE or the set of ALL NATURAL NUMBERS is UNCOUNTABLY INFINITE, ETERNALLY contradicting the very definition of COUNTABLY INFINITE Sets!!!!! $\infty \infty$.

```
\infty\infty\infty\infty\infty\infty\infty\infty\infty\infty\infty\infty
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Correspondences

| The Editor, | The Editor, |
| :--- | :--- |
| Indian Mathematical Society, | Indian Academy of Mathematics |
| Department of Mathematics, | Journal, |
| Meerut University, | Indian Academy of Mathematics, |
| MEERUT - 250005, | 46, Shankar-bag, |
| INDIA. | INDORE-452006, |
|  | INDIA. |

Sir,
Enclosed herewith are two papers on the foundations of formal mathematics of INFINITE sets. Kindly verify whether they are suitable for publication.

If found unsuitable, please return the manuscripts with your critical comments.
I am eager that these are published in an Indian journal.
Yours Sincerely,
R. Narayanan

The Editor,
Nature,
Porters South,
Crinan Street,
London NI 9SQ,
ENGLAND.

The Editor,
London Mathematical Society
Journal,
London Mathematical Society,
Edinburgh House, Shaffesbury
Road,
Cambridge CB2 2RU, ENGLAND.

The Editor, Australian Mathematical Society Journal,
C/o Department of Mathematics, University of Queensland,
St. Lucia, Queensland 4067, AUSTRALIA.

The Editor American Mathematical Society Calcutta Mathematical Society Journal,
Box. No. 1571,
Annex Sta,
Providence RI 02940 - 9930,
U.S.A.

The Editor,
Canadian Journal of Mathematics,
Canadian Mathematical Society, 577 King Edward,
Ottawa, Ont KIN 6 N5, CANADA.

Expositores Mathematicae, Mathematical Astronomical and Institute und F. A, Physical Sciences Proceedings, Brockhaus A G Postfach 100311, Royal Irish Academy, D - 6800 Mannheim I, GERMANY.

19 Dawson St., Dublin 2, IRELAND.

Sir,
Enclosed herewith are two papers on the foundations of formal mathematics of INFINITE sets. Kindly verify whether they are suitable for publication.

If found unsuitable, please return the manuscripts with your critical comments.

Yours Sincerely,
R. Narayanan
P.S. : Specialists in set-theory are not going to appreciate the following papers because they question their ignorant faith. So kindly consult also other mathematicians who have nothing to loose even if $2^{\aleph_{0}}=$ $\aleph_{0}$ (Two raised to aleph-nought is equal to aleph-nought), or even if uncountable infinite sets vanish from Mathematics for ever.

The Head of the Department of Mathematics, Dept. De Mathematique, Universiti De Strasbourg, 1- Louis Pasteur, 7, Rue Rene Descartes, 67084 Strasbourg Cedex, FRANCE.

Sir,
I enclosed two papers on the Set Theory of INFINITE Sets. I request the members of your faculty to go through them. Your critical comments are earnestly solicited.

Kindly respond at the earliest.
Yours Sincerely,
R. Narayanan
P.S. : Specialists in set-theory are not going to appreciate the following papers because they question their ignorant faith. So kindly consult also other mathematicians who have nothing to loose even if $2^{\aleph_{0}}=$ $\aleph_{0}$ (Two raised to aleph-nought is equal to aleph-nought), or even if uncountable infinite sets vanish from Mathematics for ever.

Dr. C. L. Parihar,
The Secretary,
Indian Academy of Mathematics,
15 - Kaushaliyapuri, Chitawad Road, INDORE - 452001 (M.P) INDIA.

Sir,
I enclose the application form for membership to The Indian Academy of Mathematics with a D.D for Rs. 600/- as membership subscription for Life. I request you to enroll myself as a member of the Academy.

I am also enclosing two copies each of the papers $\{\mathrm{MSS}$ No. 730, 731\}. I request you to consider them for publication in the The Indian Academy of Mathematics Journal. I also request you to consult, consider the opinions of experts in mathematical fields other than Formal Set Theory, since these papers legitimately question the very foundations of the Axiomatic Set-Theory of INFINITE SETS.

Yours Sincerely,
R. Narayanan

Prof. Shreeram S. Abhyankar Mathematics Department, Purdue University, West Lafayette IN 47907, U.S.A.

Sir,
I have heard about you as a legendary Mathematician from India. I have enclosed two papers on the foundations of the Mathematics of INFINITE sets. I request you to go through them and I solicit you for your comments and criticisms. I earnestly hope that you would recognize the INFINITE HONESTY behind the creation of these papers. I am not a professional mathematician.

Yours Sincerely,
R. Narayanan

Prof. Vladimir Igroevich Arnold DSc.
Steklov Mathematical Institute,
42, Vavilova Street, GSP - 1 MOSCOW 117593, RUSSIA.

Sir,
I have heard about you as a poetic Mathematician. I have enclosed two papers on the foundations of the Mathematics of INFINITE sets. I request you to go through them and I solicit you for your comments and criticisms. I earnestly hope that you would re-cognize the INFINITE HONESTY behind the creation of these papers. I am not a professional mathematician.

Yours Sincerely,
R. Narayanan

The Editor, Springer Verlag London Ltd., 8, Alexandra Road, London SW 197 JZ,
ENGLAND.

Sir,
Enclosed herewith are two papers (two copies each), on the foundations of formal mathematics of INFINITE sets. Kindly verify whether they are suitable for publication.

I also request you to consult, consider the opinions of experts in mathematical fields other than Formal Set Theory, since these papers legitimately question the very foundations of the Axiomatic Set-Theory of INFINITE SETS.

Yours Sincerely,
R. Narayanan

```
The Editor,
Annals of Mathematics,
3175, Princteon Pike,
Laurenceville,
NJ 08648.
U.S.A.
The Editor,
Cambridge Philosophical Society, Mathematical Proceedings, Box No. 110, Cambridge CB2 3RL.,
ENGLAND.
The Editor,
Ecole Doctorole de Mathematique de Bordeaux D,
351, Cours de la liberation, 33400 TALENCE., FRANCE.
```

Sir,
Enclosed herewith are two papers on the foundations of formal mathematics of INFINITE sets. Kindly verify whether they are suitable for publication.

If found unsuitable, please return the manuscripts with your critical comments.

Yours Sincerely,
R. Narayanan

The Head of the Department of Mathematics, TIFR Centre, Indian Institute of Science Campus, Bangalore - 560012.
INDIA.

Sir,
I enclose two papers on the Set Theory of INFINITE Sets. I request the members of your faculty to go through them. Your critical comments are earnestly solicited.

Kindly respond at the earliest.
Yours Sincerely,
R. Narayanan

Sir. Roger Penrose. F.R.S Mathematical Institute, 24-29 St. Giles, OXFORD, OX 13LB, ENGLAND.

Sir,
Enclosed herewith are two papers on the foundations of formal mathematics of INFINITE sets. I request you to go through them. I am INFINITELY sure that they are TRUE. But your critical comments are solicited.

I send them to you for two reasons. Firstly, I persume that you are one who cares for TRUTH even if it requires that one has to abandon one's existing faith for that sake. Secondly, it is for a practical reason. As a physicist who measures and believes in measures, you loose nothing essentially even if uncountable INFINITE sets vanish FOR EVER FOR EVER from Mathematics. So I hope that you would re-cognize my genuine case.

But whatever be your opinion on these manuscripts, be kind to inform me. If you don't think that they are TRUE, kindly return them.

Yours Sincerely,
R. Narayanan
P. S. I am not a professional mathematician. I am an MSc (Mathematics) [drop-out]. I dropped out in 1974 on encountering Gödel's Incompleteness Theorem.

The Head of the Department of Mathematics, School of Mathematics, TIFR, Homi Bhabha Road, BOMBAY, 400085.
INDIA.

Sir,
I enclose two papers on the Set Theory of INFINITE Sets. I request the members of your faculty to go through them. Your critical comments are earnestly solicited.

I have met Prof. Mohan Kumar over twenty years ago. [We saw the cinema "Cabaret" with other common friends.] He may not remember me. I have also heard of Professors Kaushik, Nori, Srinivasan and even Anand Doraiswamy (who is no longer there I presume), through common friends.

Kindly respond.
Yours Sincerely,
R. Narayanan

John Rennie, Editor in Chief, Scientific American, 415, Madison Ave., New York - New York. 10017-1111, U.S.A.

Sir,
Thank you for your letter dated Aug. 1, 1995. I request you to kindly return the two papers at least by sea-mail if not by air.

Yours Sincerely,
R. Narayanan

The Editor, Annals of Mathematics, Fine Hall, Washington Road, Princeton, New Jersy, 08544-1000, U.S.A.

## Sir,

It was very kind of you to return my two papers. But your expert $(\infty!? \infty)$ has not provided any reason for rejecting the papers and I had presumed that Mathematics is the most rational of the so called sciences. Is it inappropriate for the Annals because of its form or its content? I humbly solicit you for your expert's opinion. I earnestly hope that I am not intruding into the sacred private territories of the expert(s) concerned.

Yours Sincerely,
R. Narayanan

Prof. Ramaseshan
Raman Research Institute,
Bangalore - 560080.

Dear Prof. Ramaseshan,
I am Narayanan a friend of C. Bala Gopal (Managing Director, Peninsula Polymers, Thiruvananthapuram). He has told me about you and he has even mentioned about me to you. To rejuvenate memories (and for the sake of humour), I am then one who told Balu that Dirac's "Principles of Quantum Mechanics" is the best book on Physics before you told him the same. But (between us sir) doesn't even that admirable book end sadly like all Physics books are doomed to end for ALL ETERNITY. For Example take Einstein's "Meaning of Relativity" or Dirac's other two books on Quantum Field Theory and Quantum Mechanics.

I enclose two papers which question and destroy FOR EVER the very foundations of Cantor's juvenile Theology of Transfinite Induction as formalized in the Zermelo-Fraenkel Set Theory and the more ambitious yet equally juvenile Gödel-Bernays scheme etc. I humbly request you to go through them and consider them for publication in your magazine. I invite the most virulent criticisms if any. But Professor Ramaseshan, the great moron-geniuses are not gonna like it one bit because if what I say is TRUE, (which of course it is!), lots of $20^{t h}$ century mathematics is "telling lies in the name of mathematics". Once upon a time sir, I thought that mathematicians seek TRUTH. But now I know that many of them are very ordinary people who lie when it is convenient. I have already despatched the papers for expert opinions all around the world. Nobody wants to draw the sword because they have lost the battle even before it has begun. Otherwise why are the TIFR fellas and the IISc fellas keeping quiet and why does the venerable Rice Ball Prof: Penrose say that he is too busy to find time to read them. I hope that you find time to go through them. I enclose three copies each of both the papers. I apologize for taking liberties with the use of language in this letter.

Yours Sincerely,
R. Narayanan

Prof: Alan S. Jones<br>The Editor,<br>Bulletin of the Australian Mathematical Society, C/o Department of Mathematics, University of Queensland,<br>St. Lucia, Queensland 4072, AUSTRALIA.

Sir,
Thank you for your letters dated the $26^{\text {th }}$ September 1995. Since you are the editor of the Bulletin and I am the "submitter" of the papers, you have all the powers to reject my papers. I presume that you are obliged to offer me an explanation for rejecting my papers since we are dealing with the most rational of the so called sciences. Kindly do so. Is it the form or the content that turns you off? Clearly, no idolator likes his idols to be destroyed. Please think about this.

I had requested at the time of submission that the papers should be returned if found unsuitable for publication. Kindly do so.

Incidentally, my paper \# 5285 is titled "On the Cardinality of the INFINITE Continuum" and not "On the finite Cardinality of the INFINITE continuum" as you had referred in your letter. The differences are INFINITE please note. Did you intend it for irony or was it an editorial error? Kindly inform.

I hope that you would be kind enough to return the manuscripts with the most virulent comments. I am eagerly awaiting your irony !! We are making history and of course ETERNITY!!

Yours Sincerely,
R. Narayanan

| Expositores Mathematicae, | Mathematical Astronomical and |
| :--- | :--- |
| Institute und F. A, | Physical Sciences Proceedings, |
| Brockhaus A G Postfach 100311, | Royal Irish Academy, |
| D - 6800 Mannheim I, | 19 Dawson St., |
| GERMANY. | Dublin 2, |
|  | IRELAND. |
|  |  |
| The Editor, | The Editor, |
| Indian Mathematical Society, | Asterisque, |
| Department of Mathematics, | Society Mathematique de France, |
| Merrut University, | BP 126-05, F-75226, |
| MERRUT - 250005, | PARIS. Cedex 05, |
| INDIA. | FRANCE. |

The Editor, The Head of the Department of Ecole Doctorole de Mathematics, Mathematique de Bordeaux D, 351, Cours de la liberation, 33400 TALENCE, FRANCE.

TIFR Centre, Indian Institute of Science Campus, Bangalore - 560012, INDIA.

The Editor,
The Editor, Nature,
Porters South, Crinan Street, London Mathematical Society Journal,
London Mathematical Society, London NI 9SQ, Edinburgh House, ENGLAND. Shaffesbury Road, Cambridge CB2 2RU, ENGLAND.

The Editor, American Mathematical Society Journal, Box. No. 1571, Annex Sta, Providence RI 02940 - 9930, U.S.A.

The Editor, Calcutta Mathematical Society Bulletin, 92, Acharya Prafulla Chandra Road, CALCUTTA 700009.

| The Head of the Department of | The Editor, |
| :--- | :--- |
| Mathematics, | Mathematical Society of Japan |
| Dept. De Mathematique, | Journal, |
| Universiti De Strasbourg, | Nihan Sugakkai 25-9- 203, |
| 1- Louis Pasteur, | Hongo 4-Chome, Buukyo kn, |
| 7, Rue Rene Descartes, | TOKYO 113 JAPAN. |
| 67084 Strasbourg Cedex, |  |
| FRANCE. |  |

Sir,
I had sent you two papers on the Mathematics of INFINITE sets, namely
(1) On the Cardinality of the INFINITE Continuum, and
(2) The Power Set of Every Countable INFINITE set is Countable.

In order that my arguments are complete I have made some noteworthy additions to the above papers. The additions are on page 12 of the first paper and on pages 3 and 4 of the latter. I enclose these sheets for your perusal. I request you to append these sheets to the originals already with you and consider them for publication.

In case you find them still not to your taste, I request you to send them back to me with your critical comments.

Yours Sincerely,
R. Narayanan

The Head of the Department of Mathematics, School of Mathematics, TIFR,
Homi Bhabha Road, BOMBAY - 400085 , INDIA.

Prof. Shreeram S. Abhyankar Mathematics Department, Purdue University, West Lafayette IN 47907, U.S.A.

Prof. Vladimir Igroevich Arnold DSc.,
Steklov Mathematical Institute, 42, Vavilova Street, GSP - 1 MOSCOW 117593, RUSSIA.

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(2) The Power Set of Every Countable INFINITE set is Countable.

In order that my arguments are complete I have made some noteworthy additions to the above papers. The additions are on page 12 of the first paper and on pages 3 and 4 of the latter. I enclose these sheets for your perusal. I request you to append these sheets to the originals already with you and consider them. I also enclose another set of the above papers in case you have misplaced them.

In case you find them still not to your taste, I request you to send them back to me with your critical comments.

Yours Sincerely,
R. Narayanan

The Editor,
Archivum Mathematicum,
Universita J E Purkyne,
Komenskeho 2, 66243 Brno, CZECHOSLOVAKIA.

Sir,
I had sent you two papers on the Mathematics of INFINITE sets, namely
(1) On the Cardinality of the INFINITE Continuum, and
(2) The Power Set of Every Countable INFINITE set is Countable.

In order that my arguments are complete I have made some noteworthy additions to the above papers. The additions are on page 12 of the first paper and on pages 3 and 4 of the latter. I enclose these sheets for your perusal. I request you to append these sheets to the originals already with you and consider them for publication. I also enclose a copy each of both the papers for your reference.

Yours Sincerely,
R. Narayanan

The Editor,
Cambridge Philosophical Society,
Mathematical Proceedings, Box No. 110, Cambridge CB2 3RL., ENGLAND.

Ref. No. 95134 (a,b) Mathematical Proceedings.

Sir,
I had sent you two papers on the Mathematics of INFINITE sets, namely
(1) On the Cardinality of the INFINITE Continuum [95134(b)] and
(2) The Power Set of Every Countable INFINITE set is Countable. [95134(a)]

In order that my arguments are complete I have made some noteworthy additions to the above papers. The additions are on page 12 of the first paper and on pages 3 and 4 of the latter. I enclose these sheets for your perusal. I request you to append these sheets to the originals already with you and consider them for publication. I also enclose a copy each of both the papers for your reference.

Yours Sincerely,
R. Narayanan

Prof: Alan S. Jones
The Editor,
Bulletin of the Australian Mathematical Society, C/o Department of Mathematics, University of Queensland,
St. Lucia, Queensland 4072,
AUSTRALIA.

Sir,
Thank you for your letter dated the $7^{\text {th }}$ Nov. 1995.
It was smart of your experts to point out that most ${ }^{3}$ of the subsets would contain an INFINITE number [!!] of elements each. INFINITE NUMBER !!!!! ?????? FINITE CARRIED ON FOR EVER APPROACHES THE ONE AND ONLY INFINITE!!! That is the PRIMAL TRUTHFULL Point of view.

But still, since the same doubt was raised by two of my friends, I have considered ALL the INFINITE subsets of any Countable INFINITE set and proved that they are Countable too. [Ref: Pages 3 and 4 - "The Power Set of Every Countable INFINITE set is countable."] Further, I have written a GENERAL FORMULA for the SET OF ALL IRRATIONALS generated from three Countable INFINITE sets. [Ref: Page 12 - "On the Cardinality of the INFINITE Continuum."] I have enclosed the appended pages for easy reference and a copy each of the revised papers.

I should simply asseverate that mine is the PRIMAL INTUITIONIS-TIC-MATHEMATICO-PHILOSOPHICAL point of view which destroys FOR EVER the fraudulent idea of uncountable INFINITE sets. Uncountable INFINITE set is a set that is NOT a Countable INFINITE set !!! Uncountable to Begin with or to End with ??????? Answer me professor.

Uncountable INFINITE more INFINITE than countable INFINITE is PURE IGNORANCE. It is teaching ignorant children pompous LIES in the name of Mathematics. So is transfinite induction !!!! Clearly your experts are not going to like what I say. It is their ETERNALLY FLAWED expertise that I question.

[^2]I feel thankfull for you to discourage me from submitting my papers anywhere else, yet I must confess that it is none of your philanthropic business. I hope that this statement would not deter your from the TRUTH of my papers.

Yours Sincerely,
R. Narayanan

| Prof. J. Fang | The Editor |
| :--- | :--- |
| The Editor, | British Journal for the |
| Philosophica Mathematica, | Philosophy of Science, |
| Olo Dominion University, | Oxford University Press, |
| Norfolk, VA 23529-0083, | Walton Street, |
| U.S.A. | Oxford OX2 6DP, |
|  | ENGLAND. |
|  |  |
| The Editor, | The Editor, |
| Indian Institute of Science | Philosophy of Science, |
| Journal, | Philosophy of Science Association |
| Indian Institute of Science, | 18 Morill Hall, |
| BANGALORE -560012. | Dept. of Philosophy, |
|  | Michigan State University, |
|  | East Lansing MI 48824, |
|  | U.S.A. |

The Editor,
Daedalus,
American Academy of Arts and Sciences, Norton Woods, 136 Irving Street, Cambridge MA 02138, U.S.A.

Sir,
I enclose two papers on the foundations of formal mathematics of INFINITE sets. Kindly verify whether they are suitable for publication.

If found unsuitable, please return the manuscripts with your critical comments.

## Sir,

I enclose two papers on the foundations of formal mathematics of INFINITE sets. Kindly verify whether they are suitable for publication. I send these papers to you since they are of a very general nature.

If found unsuitable, please return the manuscripts with your critical comments.

Yours Sincerely,
R. Narayanan

The Editor, Indian Academy of Mathematics Journal, Indian Academy of Mathematics, 15 - Kaushaliyapuri, Chitawad Road, INDORE - 452001 (M.P),
INDIA.

Ref: MSS 730 and MSS 731

Sir,
I enclose three copies each of both the papers.
MSS 731 - On the Cardinality of the INFINITE Continuum.
and
MSS 730 - The Power Set of every Countable INFINITE set is Countable.

In order that my arguments are complete I have made some noteworthy additions to the above papers. The additions are on page 12 of the first paper and on pages 3 and 4 of the latter. I request you to use these copies of the papers enclosed as your reference.

I also enclose three copies each of two more papers. They are

1) ALL IRRATIONALS [AND HENCE ALL REALS] ARE COUNTABLE - II and
2) THE POWER SET OF EVERY COUNTABLE INFINITE SET IS COUNTABLE - II
I request you to acknowledge receipt of all these papers and process them for possible publication.

I specially request you to consult experts in different fields of mathematics since these papers question in no uncertain way the very foundations of the formal set theory of INFINITE sets.

Yours Sincerely,
R. Narayanan

| The Editor, | Prof. J. Fang |
| :--- | :--- |
| Cambridge Philosophical Society, | The Editor, |
| Mathematical Proceedings, | Philosophica Mathematica, |
| Box No. 110, Cambridge CB2 | Olo Dominion University, |
| 3RL., | NORFOLK, VA 23529-0083, |
| ENGLAND. | U.S.A. |

Ref. No. 95134 (a,b) Mathematical Proceedings.

Sir,
I had sent you two papers on the Mathematics of INFINITE sets, namely
(1) On the Cardinality of the INFINITE Continuum [95134(b)] and
(2) The Power Set of Every Countable INFINITE set is Countable. [95134(a)]

I haven't heard from you regarding these papers.
I also enclose two copies each of two more papers. They are

1) ALL IRRATIONALS [AND HENCE ALL REALS] ARE COUNTABLE - II and
2) THE POWER SET OF EVERY COUNTABLE INFINITE SET IS COUNTABLE - II
I request you to acknowledge receipt of all these papers and process them for possible publication.

The Head of the Department of The Head of the Department of Mathematics, TIFR Centre, Indian Institute of Science Campus, Bangalore - 560012, INDIA. Mathematics, School of Mathematics, TIFR, Homi Bhabha Road, BOMBAY - 400085, INDIA.

Sir,
I had sent you two papers on the Mathematics of INFINITE sets, namely
(1) On the Cardinality of the INFINITE Continuum and
(2) The Power Set of Every Countable INFINITE set is Countable.

I haven't heard from you regarding these papers.
I also enclose two copies each of two more papers. They are

1) ALL IRRATIONALS [AND HENCE ALL REALS] ARE COUNTABLE - II and
2) THE POWER SET OF EVERY COUNTABLE INFINITE SET IS COUNTABLE - II
I request you to acknowledge receipt of these papers and your valuable opinions and comments however nasty are earnestly solicited FOR EVER !!! $\infty \infty \infty \infty \infty$.

I have heard that TIFR Mathematics department is deluged with GENIUSES who know Bourbaki from cover to cover along the set of ALL diagonals and know the set of ALL better than ALL the rest!.

As you can see I consider that uncountable (!!!!) INFINITE sets and the holified transfinite (!!!) - INDUCTION process as sanctified in the Zermelo-Fraenkel Scheme, the Gödel-Bernays Scheme etc. $\infty \infty \infty$ are "telling $\mathfrak{S L O M T \mathfrak { T S O }}$ LIES in the name of Mathematics". Incidentally where are you Now (!) in the SUPER-CLASSIFICATION. Have you ALL transcended SC1, SC2, - - - SCN - . - SC $\infty \infty \infty \infty$ and started on SUPER-transfinite- INDUCTION of the set of ALL SUPER CLASSES 1 TO $\infty$ and so on ad absurdum ad INFINITUM.

I have also heard that TIFR SUPER-GENIUSES WOULD MAKE A TOTAL MORON of idiots who go to question the foundations of Bourbaki-Mathematics. Please invite me and throw rotten eggs and prove that this moron does not understand the grave profundities of transfinite-INDUCTION. Or why don't you teach me ALL that in front
of a neutral audience? This is certainly a challenge. If there is one man in your department worthy of his name and gender, respond to this letter or have you to consult greater [ $>$ ] SUPER-GENIUSES OF THE FAIRER RACE FROM ABROAD?

Yours Sincerely,
R. Narayanan

The Editor, Indian Academy of Mathematics Journal, Indian Academy of Mathematics, 15 - Kaushaliyapuri, Chitawad Road, INDORE - 452001 (M.P), INDIA.

Ref: MSS 730 and MSS 731

## Sir,

I received your letter of rejection offering no reason for the gesture. I apologise for the delay in sending you the copies of the manuscripts.

As far as I surmise there are no mathematicians working in India on the so called "Foundations of Mathematics". I have enclosed two more papers reinforcing my legitimate arguments. I request you to consider them all once again.

I specially request you to consult experts in different fields of mathematics since these papers question in no uncertain way the very foundations of the formal set theory of INFINITE sets.

I also solicit for your experts' comments on these papers.
Yours Sincerely,
R. Narayanan

Prof. Shreeram S. Abhyankar Mathematics Department, Purdue University, West Lafayette IN 47907, U.S.A.

Prof. Vladimir Igroevich Arnold DSc.,
Steklov Mathematical Institute, 42, Vavilova Street, GSP - 1 MOSCOW 117593, RUSSIA.

Sir,
I had sent you two papers on the Mathematics of INFINITE sets, namely
(1) On the Cardinality of the INFINITE Continuum, and
(2) The Power Set of Every Countable INFINITE set is Countable.

In order to reinforce my arguments I send you two more papers namely

1) ALL IRRATIONALS [AND HENCE ALL REALS] ARE COUNTABLE - II and
2) THE POWER SET OF EVERY COUNTABLE INFINITE SET IS COUNTABLE - II

I earnestly solicit you for your expert comments on these papers.
In case you find them still not to your taste, I request you to send them back to me with no comments!

Yours Sincerely,
R. Narayanan

Prof: Alan S. Jones<br>The Editor,<br>Bulletin of the Australian Mathematical Society, C/o Department of Mathematics, University of Queensland,<br>St. Lucia, Queensland 4072, AUSTRALIA.

Sir,
I enclose two copies each of two more papers re-inforcing my arguments against the so called uncountable sets and the fraudulent trans-finite induction as consecrated in the delinquent Zermelo-Fraenkel Scheme, the Gödel-Bernays Scheme etc. The papers are

1) ALL IRRATIONALS [AND HENCE ALL REALS] ARE COUNTABLE - II and
2) THE POWER SET OF EVERY COUNTABLE INFINITE SET IS COUNTABLE - II

As you can see I consider that uncountable (!!!!) INFINITE sets and the holified transfinite (!!!) - INDUCTION process as sanctified in the Zermelo-Fraenkel Scheme, the Gödel-Bernays Scheme etc. $\infty \infty \infty$ are
 tally where are you Now (!) in the SUPER-CLASSIFICATION. Have you ALL transcended SC1, SC2, --- - SCN --- - SC $\infty \infty \infty \infty$ and started on SUPER-transfinite- INDUCTION of the set of ALL SUPER CLASSES $1 \mathrm{TO} \infty$ and so on ad absurdum ad INFINITUM.
I don't expect at ALL to be published. Please acknowledge receipt of the papers, number them and dump them into the collection of unpublished papers submitted to your esteemed magazine. Kindly honour me thus.

The Editor, Archivum Mathematicum (BRNO), J. E. Purkyne University, Faculty of Science, Department of Mathematics, Jana'c'kovo na'm. 2a 66295 Brno, CZECHOSLOVAKIA.

Sir,
This letter is in reference to two papers submitted and rejected by you sometime ago. [Papers 716 and 717]

The referee concerned sent his esteemed report yet preferred to retain his anonymity. I enclose my comments on his reports. Kindly pass it on to the genius incognito!

Yours Sincerely,
R. Narayanan

Sir (Referee incognito),
Ah! Marxist transfinite inductionist
I Say Set of [ALL] ${ }^{\infty}$ SUBSETS FOR EVER and you say Set of all FINITE subsets

Even if you are immortal YOU are a LIAR
Incidentally which is the largest finite set?
Which is the largest Natural Number - yes the limit ordinal !
Karl Marx is midget-brained
so is your race of transfinite inductionists.
As you can see I consider that uncountable (!!!) INFINITE sets and the holified transfinite (!!!) - INDUCTION process as sanctified in the Zermelo-Fraenkel Scheme, the Gödel-Bernays Scheme etc. $\infty \infty \infty$ are "telling $\mathfrak{S L O M T J T S D}$ LIES in the name of Mathematics". Incidentally where are you Now (!) in the SUPER-CLASSIFICATION. Have you ALL transcended SC1, SC2, -- - - SCN --- - SC $\infty \infty \infty$ and started on SUPER-transfinite- INDUCTION of the set of ALL SUPER CLASSES 1 TO $\infty$ and so on ad absurdum ad INFINITUM.

You are a SUPER-GENIUS who WOULD MAKE A TOTAL MORON of idiots who go to question the foundations of BourbakiMathematics. Please invite me and throw rotten eggs and prove that this moron does not understand the grave profundities of transfiniteINDUCTION. Or why don't you teach me ALL that in front of a neutral audience? This is certainly a challenge. If there is one man in your trivial Marxist country worthy of his name and gender, respond to this letter or have you to consult greater [ $>$ ] SUPER-GENIUSES FROM THE HOLY YANKEE-LAND.

The Editor, Philosophy of Science, Philosophy of Science Association, 18 Morrill Hall, Dept. of Philosophy, Michigan State University, East Lansing MI 48824, U.S.A.

Dear Mr. Kitcher,
You write in your letter (copy enclosed) that your esteemed decision is based on the reports of the referee who prefers to adhere to his anonymous identity for no discernible reason. Further you add, enhancing your philosophical integrity that your decision is also based on the competition for space from other worthy papers. Do you mean to tell me that ALL the papers ever published (publishable) in your magazine are worthier than the ones I submitted. Posterity may think differently. I know that if I was Dick Krownekker or John Brewer [puns intended] I would have found space.

I enclose my comments on the referee's reports on my papers and I have also enclosed two more papers reinforcing my arguments.

The papers are

1) ALL IRRATIONALS [AND HENCE ALL REALS] ARE COUNTABLE - II and
2) THE POWER SET OF EVERY COUNTABLE INFINITE SET IS COUNTABLE - II

I request you to pass it on to the nameless genius incognito, the referee concerned so that I may relish his expert comments.


[^0]:    ${ }^{1}$ In the latter paper in this collection, we also prove that the Power Set of Every Countable INFINITE Set is Countable.

[^1]:    ${ }^{2} \mathrm{My}$ friend Surendran who was the first person to see all this, told me to present the proof without all the vicious though playful meandering. I have refused to listen to his advice. The proof of this assertion is so simple, almost trivial. Yet I had to go through an enormous amount of pain and vicious meandering before I saw the simple proof. I re-cognize that the pain is my personal privilege. But at least a portion of the vicious meandering could be indulgently re-constructed and shared with my readers. I may be pardoned. If you want to see the proof straightaway turn to page 21 and 22 or if you want it in a nutshell turn to page 23 and 24 .

[^2]:    3 "most" !! How many more than the set of ALL FINITE subsets please?

